



Eurographics 2013

May 6-10, Girona (Spain)

Real-Time Importance Sampling of Dynamic Environment Maps

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Motivation

Captured HDR EM Stream

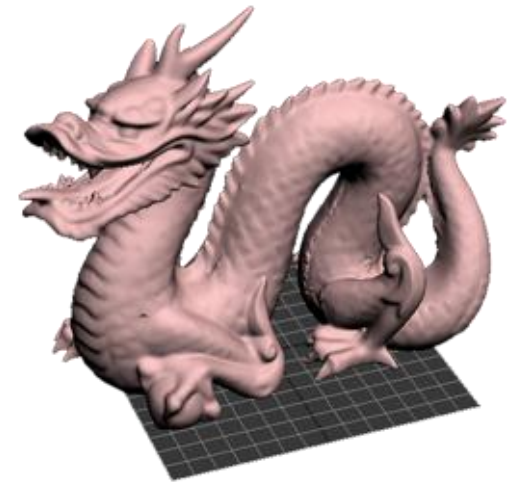


Real-Time Rendering



Unbiased

3D Models



Direct rendering at the same time as EM capturing



Previous Work

- **Static** environment map
 - Fast Hierarchical Importance Sampling [e.g., ODJ04]
- **Dynamic** environment map
 - Precomputed Radiance Transfer. [e.g., WTL06]
 - Point light sources [e.g., HSK*05]
 - **Precomputation** ☹️
 - **Additional storage** ☹️
 - Real-Time Shading with Filtered IS.[e.g. KC08]
 - **Biased**☹️



Contributions

- **Dynamic Sample Distribution** for cube map
 - Reduce useless samples
- **Unbiased Monte Carlo estimator** built on MIS
 - Low number of samples
 - High quality
- **GPU Algorithm without precomputations**
 - Fully **Dynamic EMs** as light sources



Problem Statement

$$L(p, o) = \int_{\Omega} \rho(o, \omega) \langle n, \omega \rangle L(\omega) d\omega$$



Monte Carlo

$$L(p, o) := \frac{1}{N} \sum \frac{\rho(o, \omega) \langle n, \omega \rangle L(\omega)}{PDF}$$

The better PDF the smaller N



Problem Statement

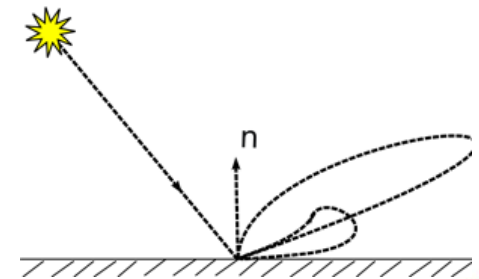
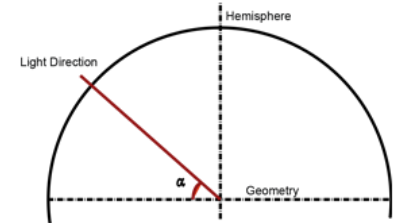
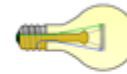
$$L(p, o) := \frac{1}{N} \sum \frac{\rho(o, \omega) \langle n, \omega \rangle L(\omega)}{PDF}$$

PDF?

$\rho(o, \omega)$

$\langle n, \omega \rangle$

$L(\omega)$



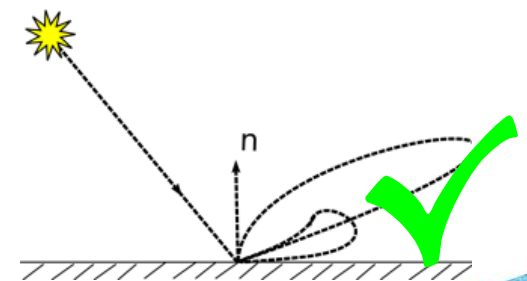
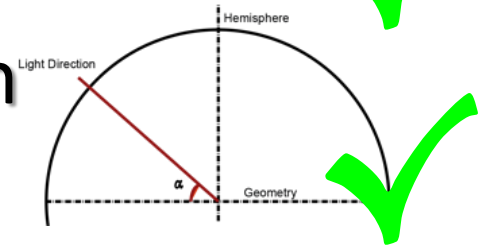
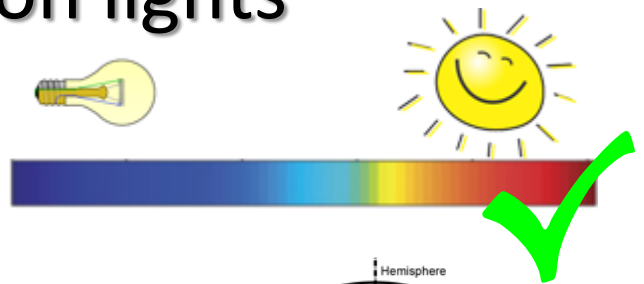
Our Method Overview

For each frame

- Tabulated CDF construction on lights
- Light sample generation

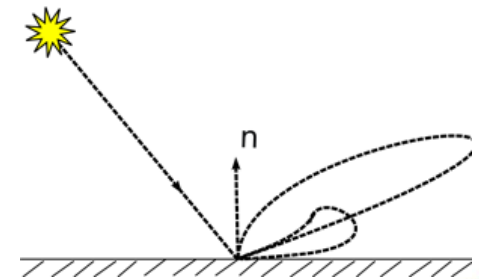
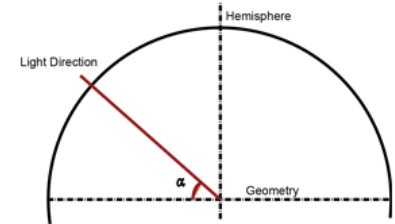
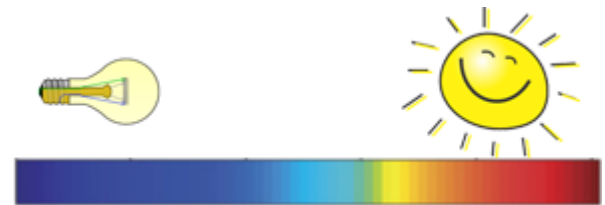
For each pixel (*Deferred shading*)

- Dynamic light sample distribution
 - *Light + cosine*
- BRDF sample generation
- Shading



Stream

For each frame:
Load current EM



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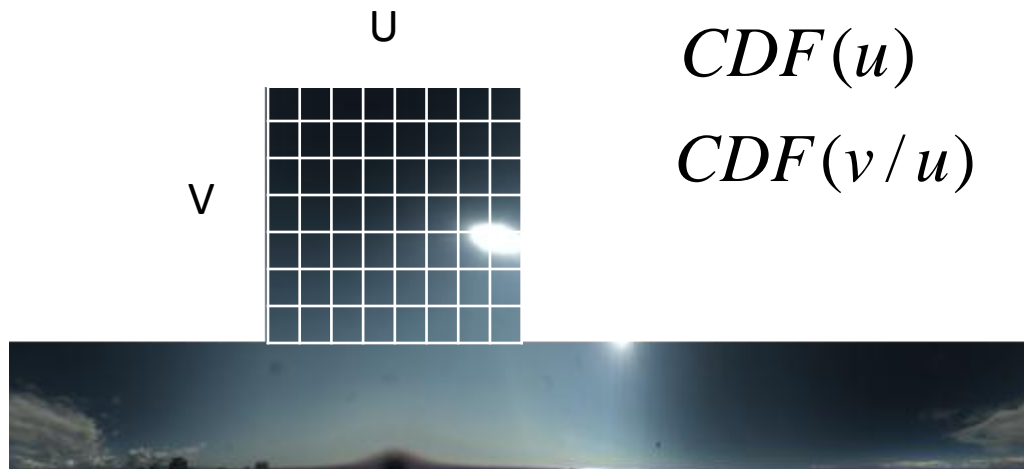


Tabulated CDF Construction

For each frame:

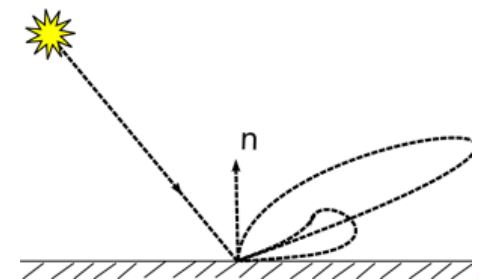
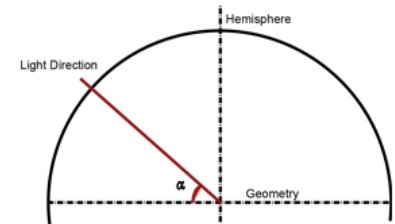
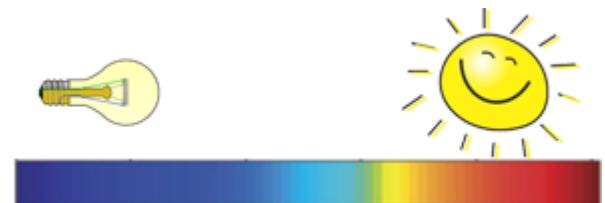
Load current EM

Build CDFs of Light Intensity



$CDF(u)$

$CDF(v/u)$



Light Source Sampling

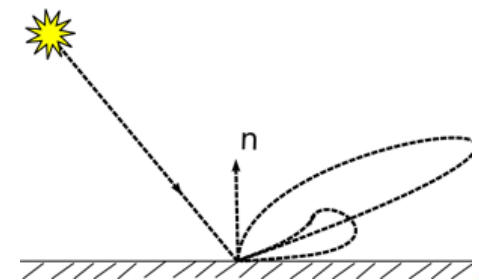
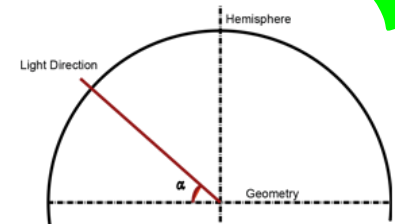
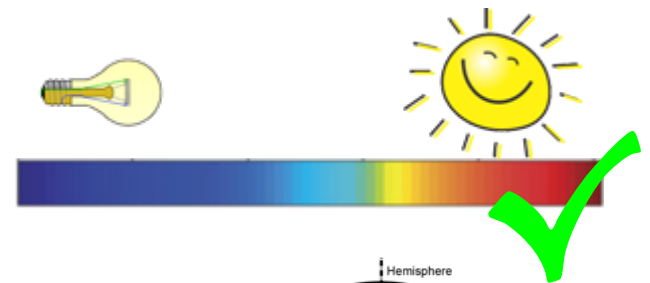
For each frame:

Same number of samples on each face



$CDF(u)$

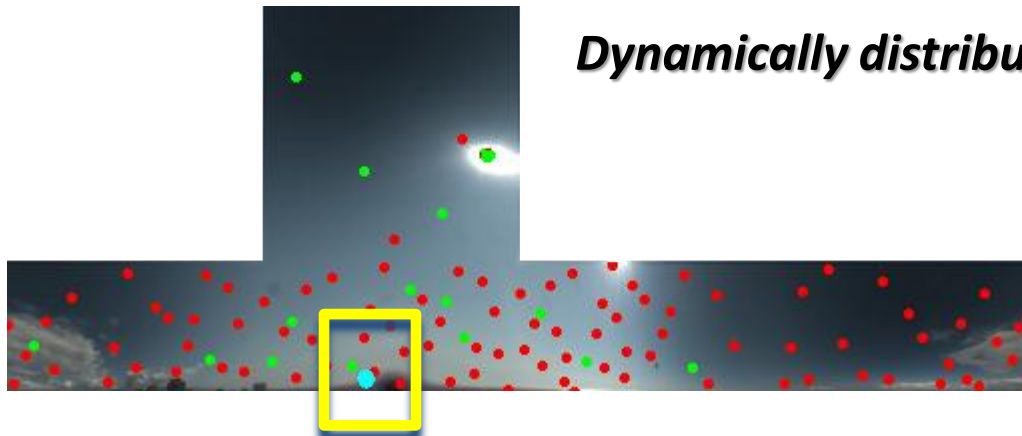
$CDF(v/u)$



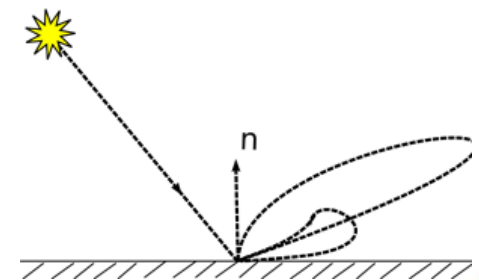
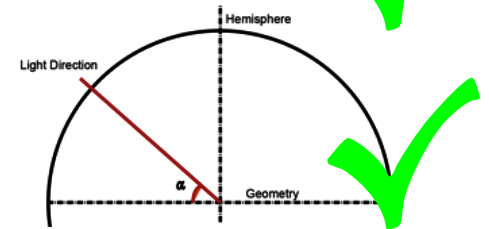
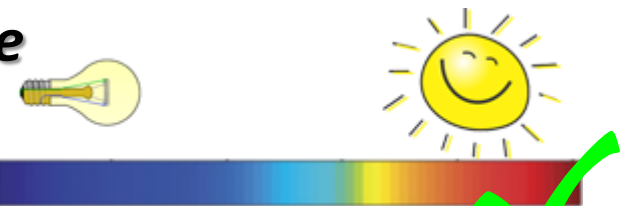
Dynamic Sample Distribution

For each pixel:

Select samples wrt. **Light + Cosine**



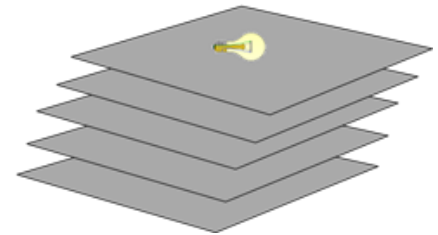
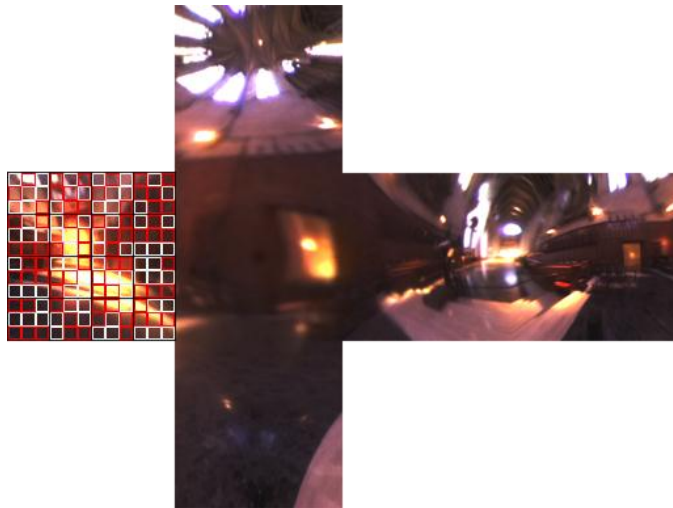
Dynamically distributed



Dynamic Distribution of Samples


- According to ***Contribution of Faces***

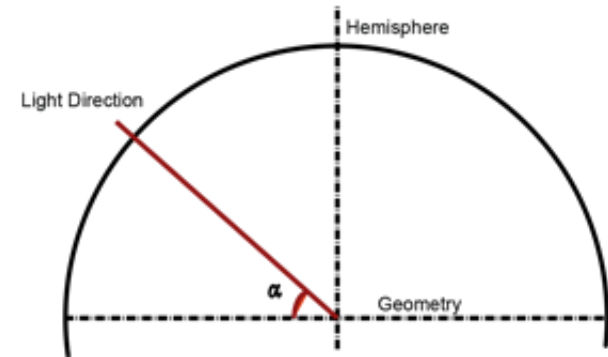
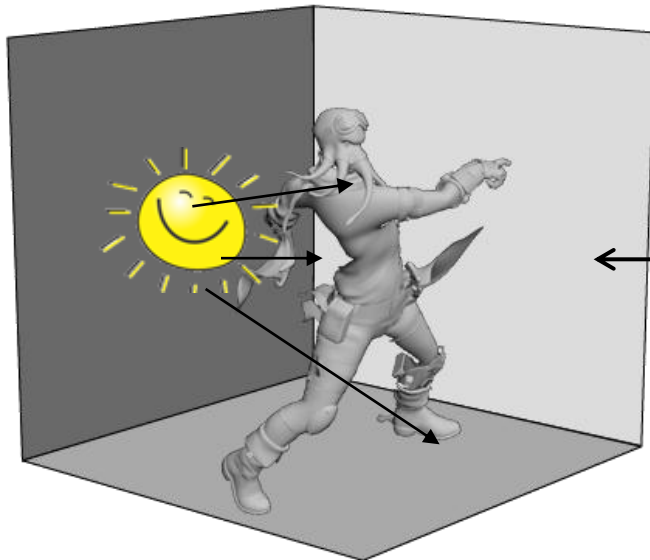
– Light Energy $L(\omega)$  I_f



Dynamic Sample Distribution


- According to ***Contribution of Faces***

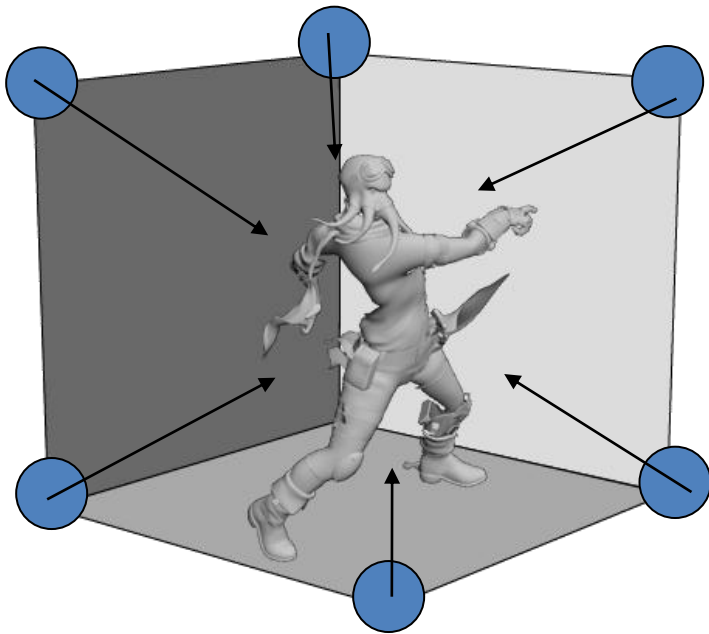
- Light Energy $L(\omega)$  I_f
- Cosine term $\langle n, \omega \rangle$



Dynamic Sample Distribution

- According to **Contribution of Faces**

- Light Energy $L(\omega)$  I_f
- Cosine term $\langle n, \omega \rangle$



$$C_f = \sum_{corner}^4 \langle n, \omega \rangle_{corner}$$

Pseudo Form Factor(point to face):

$$F_f(n) = \frac{C_f}{\sum_f C_f}$$



Dynamic Sample Distribution

- According to ***Contribution of Faces***

- Light Energy $L(\omega)$ $\longrightarrow I_f$
- Cosine term $\langle n, \omega \rangle$ $\longrightarrow F_f(n)$

Face contribution weight:

$$\mu_f(n) = \frac{F_f(n)I_f}{\sum_f^6 F_f(n)I_f}$$



Smooth Transitions

Number of samples for a face:

$$N_f = \mu_f(n) N_L$$

–Use only Integer?

$$N_f = \boxed{N} + frac$$

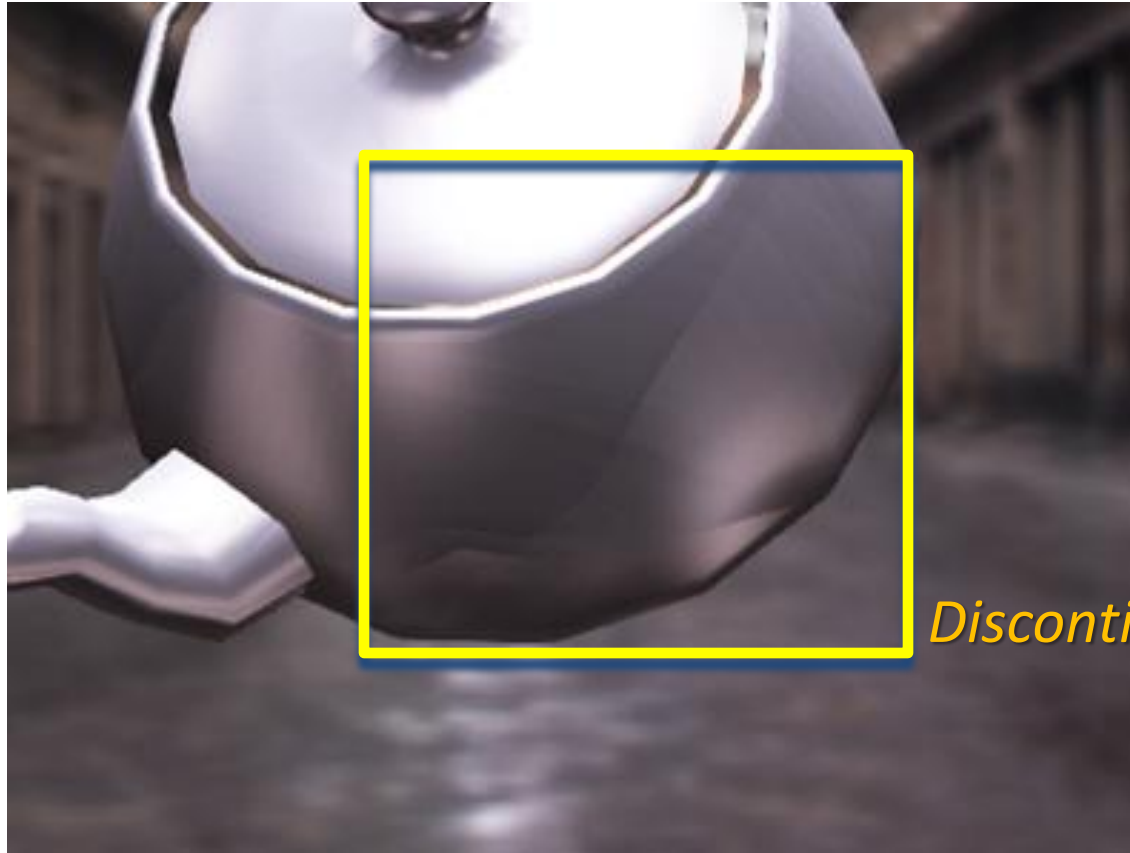
$$L(p, o) := \frac{1}{N} \left(\sum \frac{p(o, \omega) \langle n, \omega \rangle L(\omega)}{PDF} \right)$$

$$L(p, o) := \frac{1}{N} \left(\sum_i^N F_i \right)$$



Smooth Transitions

Integer number of samples:



Discontinuities



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Smooth Transitions

Number of samples for a face:

- Different for each pixel
- Integer number ?

$$N_f = \mu_f(n)N_L$$

$$N_f = N + \textit{frac}$$

$$L(p, o) := \frac{1}{N} \left(\sum_i^N F_i \right)$$

- Floating point number

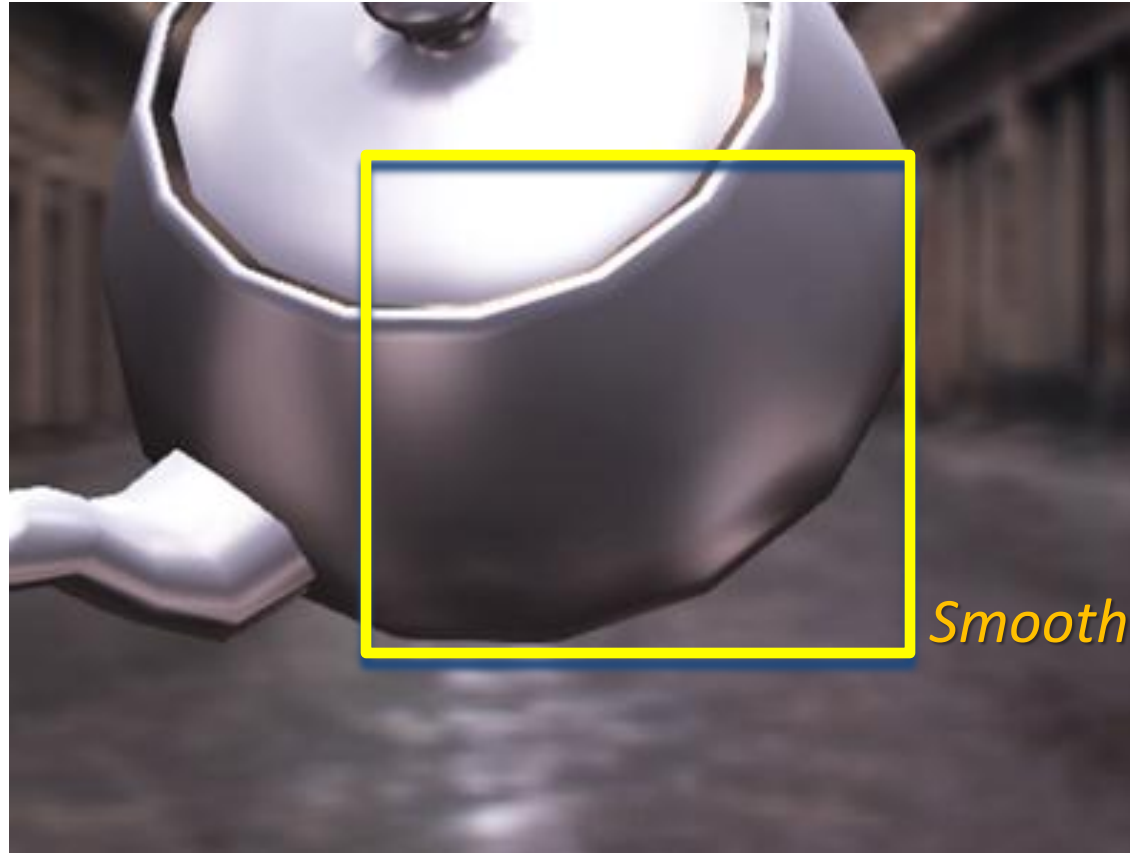
Unbiased

$$L(p, o) := \frac{1}{N_f} \left(\sum_i^N F_i + \textit{frac} \times F_{N+1} \right)$$



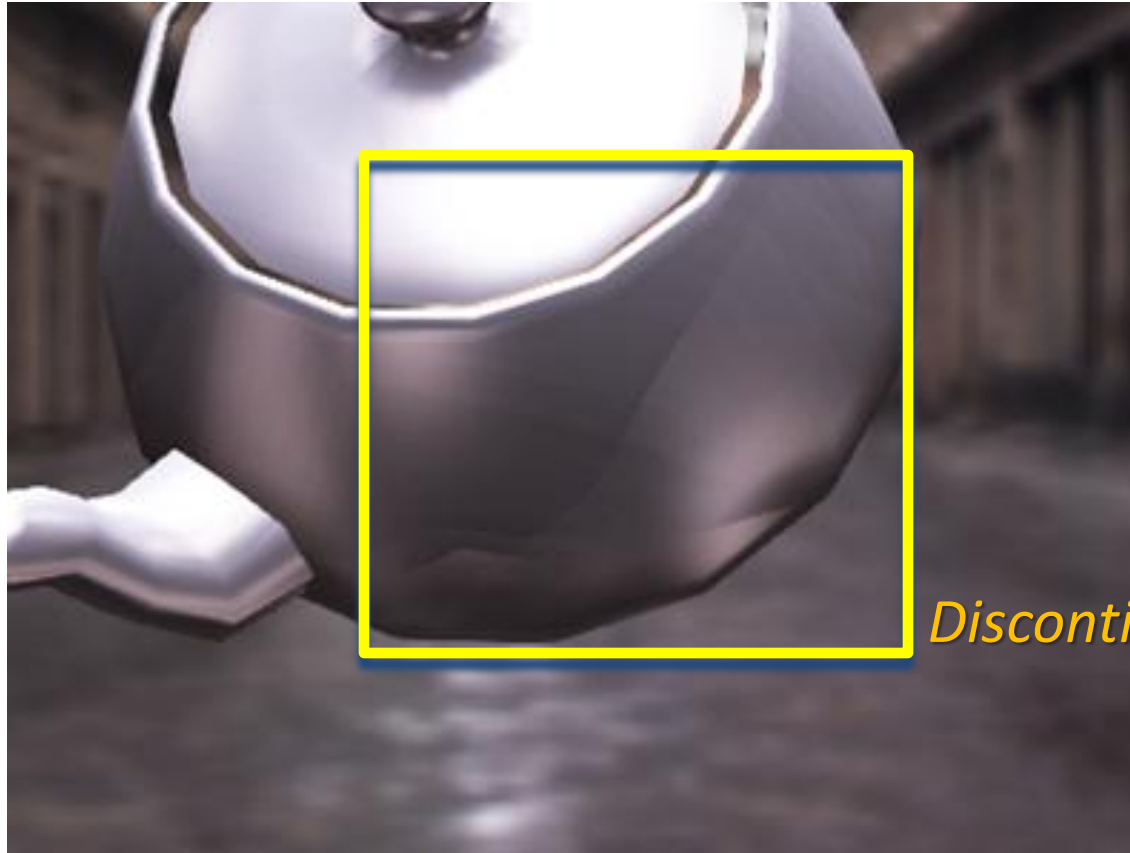
Smooth Transitions

Floating point number of samples :



Smooth Transitions

Integer number of samples:



Discontinuities



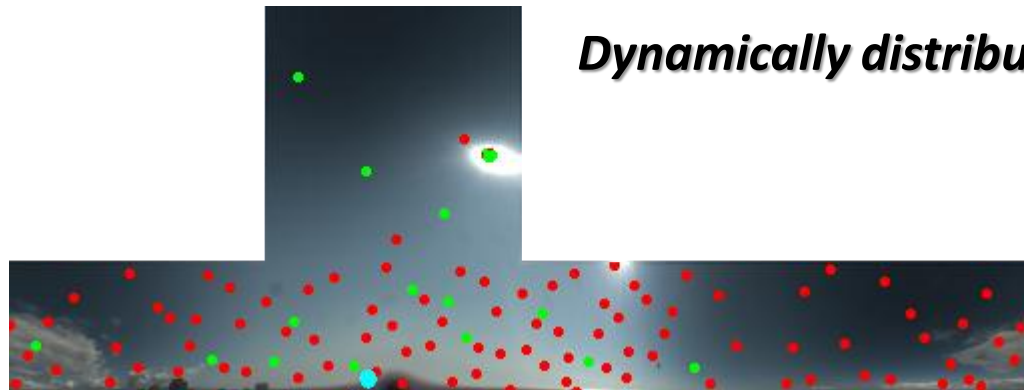
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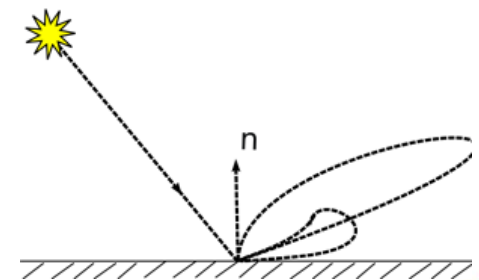
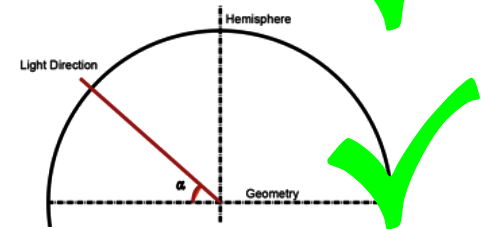
Dynamic Sample Distribution

For each pixel:

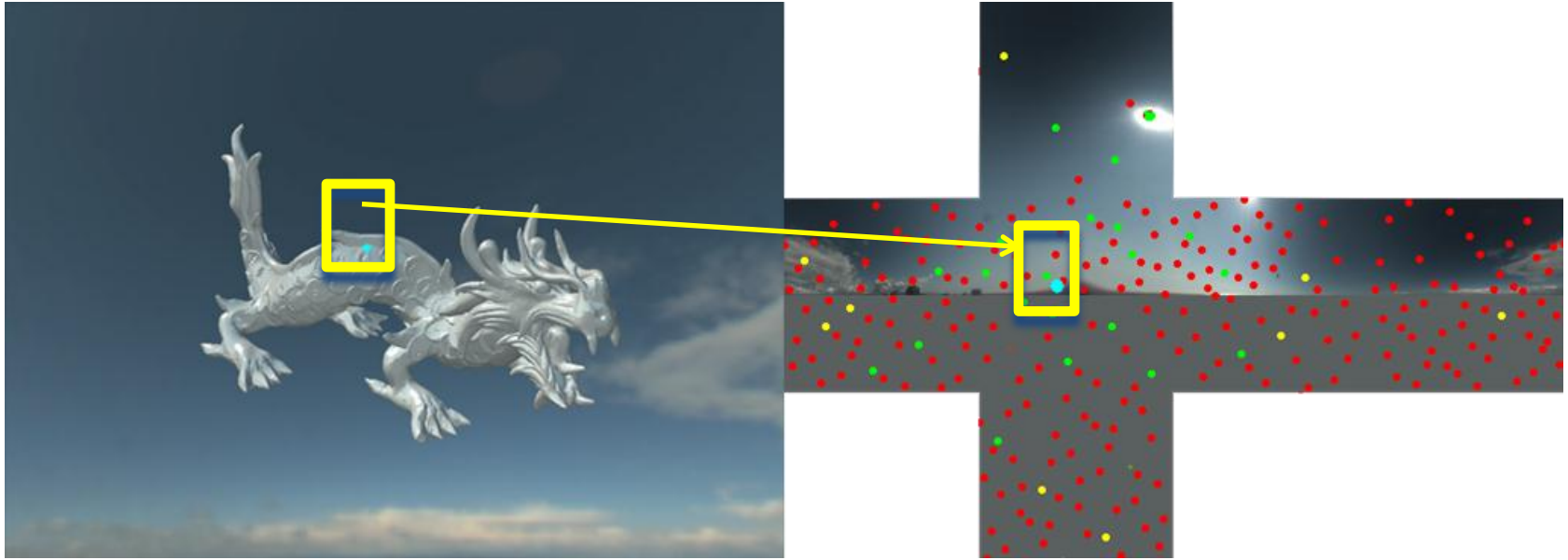
Samples wrt. **Light + Cosine**



Dynamically distributed



Results



Red : Samples discarded by *face weighting*

Green: Samples with positive cosine

Yellow: Samples with negative cosine

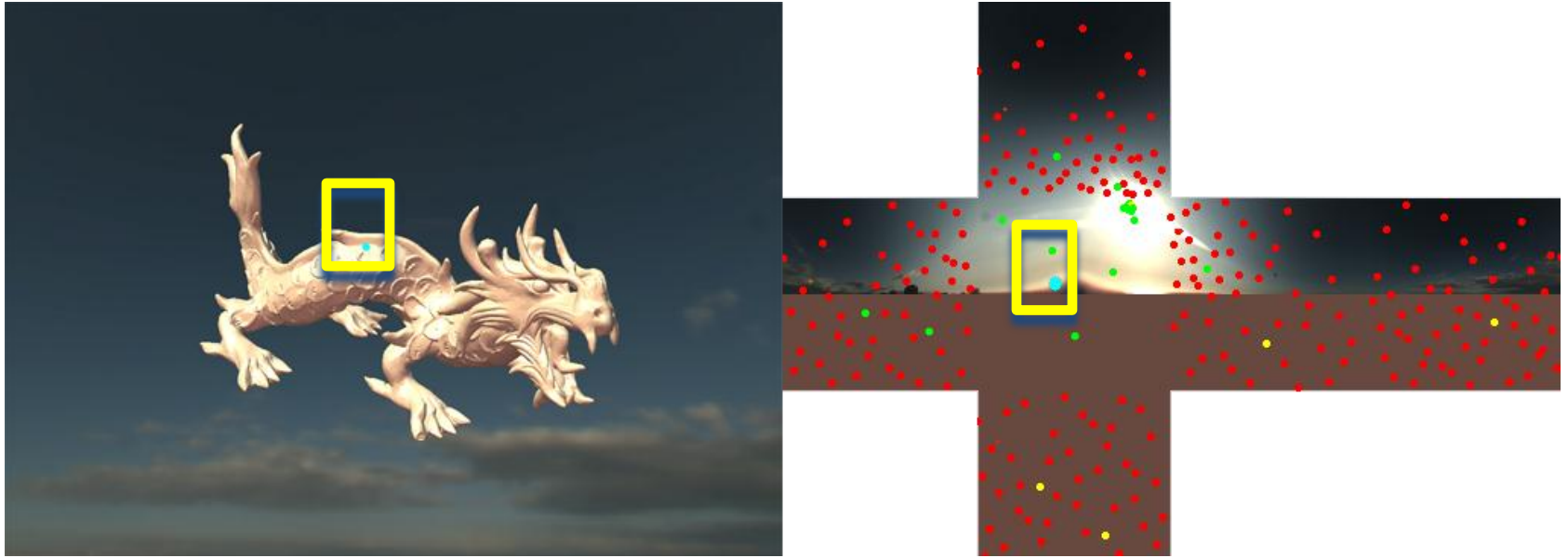


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Results



Red : Samples discarded by *face weighting*

Green: Samples with positive cosine

Yellow: Samples with negative cosine



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BRDF Sampling

- Multiple Importance Sampling
 - Select N_L samples from *Light Sources*
 - Select N_B samples from *BRDFs*

$$N_s = N_b + N_L$$

Why MIS ?

Why not sample the product

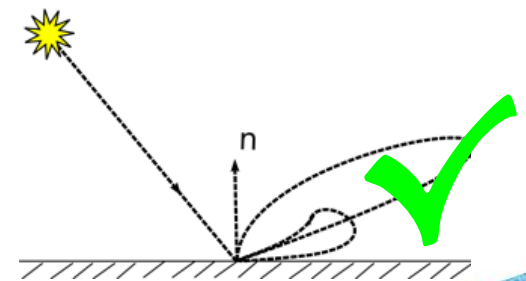
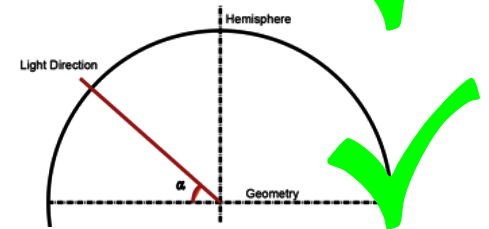
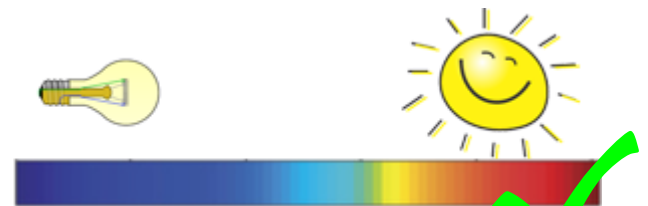
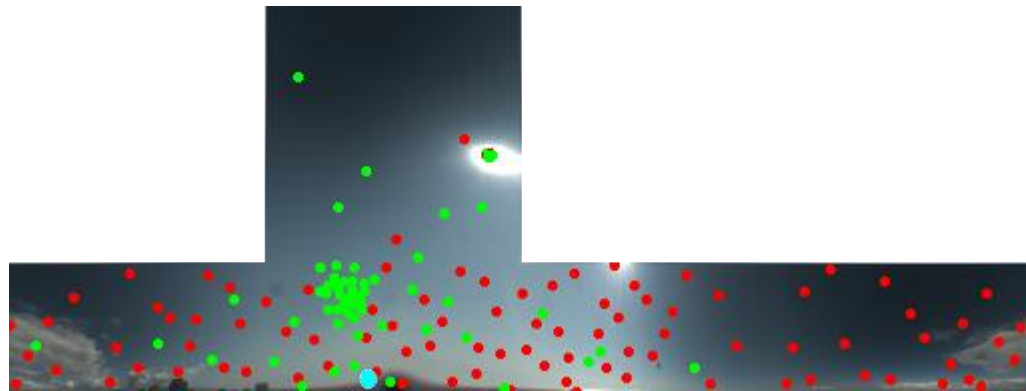
$$\rho(o, \omega) < n, \omega > L(\omega)$$



BRDF Sampling

For each pixel:

Generate samples from BRDF



GPU Implementation

- For each frame
 - CDFs Construction
 - Cube map sampling
 - Consider only light intensity
 - Static number of samples per face
 - Face weighting
 - Dynamic number of samples
 - BRDF samples combination
 - Shading



Conclusion

- Unbiased Estimator
 - Limits the number of useless samples
 - Reduces popping artifacts
 - ➔ Floating point number of samples
 - Integrates easily with MIS
- Real-time Solution without precomputations
 - Dynamic scenes
 - Dynamic environment maps
- Future work
 - Visibility and indirect lighting effects





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Real-Time Importance Sampling of Dynamic Environment Maps

Thank you for your attention

